## GCE

# Further Mathematics B (MEI) 

Y422/01: Statistics major

Advanced GCE

Mark Scheme for Autumn 2021

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This mark scheme is published as an aid to teachers and students, to indicate the requirements of the examination. It shows the basis on which marks were awarded by examiners. It does not indicate the details of the discussions which took place at an examiners' meeting before marking commenced.

All examiners are instructed that alternative correct answers and unexpected approaches in candidates' scripts must be given marks that fairly reflect the relevant knowledge and skills demonstrated.

Mark schemes should be read in conjunction with the published question papers and the report on the examination.
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## Annotations and abbreviations

| Annotation in scoris | Meaning |
| :--- | :--- |
| $\checkmark$ and $\mathbf{x}$ |  |
| BOD | Benefit of doubt |
| FT | Follow through |
| ISW | Ignore subsequent working |
| M0, M1 | Method mark awarded 0, 1 |
| A0, A1 | Accuracy mark awarded 0, 1 |
| B0, B1 | Independent mark awarded 0, 1 |
| E | Explanation mark 1 |
| SC | Special case |
| ^ | Omission sign |
| MR | Misread |
| BP | Blank page |
| Highlighting |  |
|  |  |
| Other abbreviations in <br> mark scheme | Meaning |
| E1 | Mark for explaining a result or establishing a given result |
| dep* | Mark dependent on a previous mark, indicated by *. The * may be omitted if only previous M mark. |
| cao | Correct answer only |
| oe | Or equivalent |
| rot | Rounded or truncated |
| soi | Seen or implied |
| www | Without wrong working |
| AG | Answer given |
| awrt | Anything which rounds to |
| BC | By Calculator |
| DR | This indicates that the instruction In this question you must show detailed reasoning appears in the question. |


| Question |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | (a) | $\begin{aligned} & 34.711 \\ & \quad \pm 1.96 \\ & \quad \times \frac{1.53}{\sqrt{50}} \\ & =34.711 \pm 0.424 \text { or }(34.287,35.135) \end{aligned}$ | $\begin{gathered} \hline \text { B1 } \\ \text { M1 } \\ \text { M1 } \\ \text { A1 } \\ {[4]} \\ \hline \end{gathered}$ | $\begin{aligned} & \hline 1.1 \\ & 3.3 \\ & 1.1 \\ & 3.4 \end{aligned}$ | Allow 34.29 to 35.13 or 35.14 |  |
| 1 | (b) | 50 is a sufficiently large sample to apply the CLT which states that for large samples the distribution of the sample mean is approximately Normal | $\begin{aligned} & \mathrm{B} 1 * \\ & * \mathbf{B 1} \\ & {[2]} \end{aligned}$ | $\begin{gathered} \hline 2.2 b \\ 2.4 \end{gathered}$ | For mention of central limit theorem <br> For full statement (including CLT) | No credit if CLT not mentioned |


| Question |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | (a) | $\begin{aligned} \mathrm{P}(X=0) & =\frac{6}{6} \times \frac{1}{6} \times \frac{1}{6} \\ & =\frac{1}{36} \end{aligned}$ | M1 <br> A1 [2] | $\begin{gathered} 3.1 \mathrm{a} \\ 1.1 \end{gathered}$ | AG | Allow M1 for $\frac{1}{6} \times \frac{1}{6}=\frac{1}{36}$ |
| 2 | (b) |  | $\begin{aligned} & \text { B1 } \\ & \text { B1 } \\ & {[2]} \end{aligned}$ | $\begin{aligned} & 1.1 \\ & 1.1 \end{aligned}$ | For heights <br> For axes and labels | Roughly correct but must have linear scale Do not allow just P on vertical axis |
| 2 | (c) | The distribution has (slight) negative skew | $\begin{aligned} & \hline \text { B1 } \\ & {[1]} \\ & \hline \end{aligned}$ | 1.1 | Allow 'roughly symmetrical' or 'unimodal' | Not 'Normal distribution' |
| 2 | (d) | DR $\begin{aligned} \mathrm{E}(X) & =0 \times \frac{1}{36}+1 \times \frac{5}{36}+2 \times \frac{2}{9}+3 \times \frac{1}{4}+4 \times \frac{2}{9}+5 \times \frac{5}{36} \\ & =\frac{105}{36}=\frac{35}{12}=2.9166 \ldots \\ \mathrm{E}\left(X^{2}\right) & =0^{2} \times \frac{1}{36}+1^{2} \times \frac{5}{36}+2^{2} \times \frac{2}{9}+3^{2} \times \frac{1}{4}+4^{2} \times \frac{2}{9}+5^{2} \times \frac{5}{36} \\ & =\frac{371}{36}=10.3055 \ldots \end{aligned}$ $\begin{aligned} \operatorname{Var}(X) & =10.3055 \ldots-(2.9166 \ldots)^{2} \\ & =\frac{259}{144}=1.80 \quad(1.7986 \ldots) \end{aligned}$ | M1 <br> A1 <br> M1 <br> M1 <br> A1 <br> [5] | $\begin{gathered} 1.1 \mathrm{a} \\ 1.1 \\ 1.1 \\ 1.2 \\ 1.1 \end{gathered}$ | Allow fraction or decimal form |  |
| 2 | (e) | Variance $=30^{2} \times 1.7986 \ldots=1619\left(\right.$ pence $\left.{ }^{2}\right)$ | $\begin{aligned} & \hline \text { B1 } \\ & {[1]} \end{aligned}$ | 1.1 |  |  |
| 2 | (f) | Average amount received $=30 \times 2.916 \ldots=87.5$ $k-87.5=12.5 \Rightarrow k=100$ | $\begin{aligned} & \hline \text { B1 } \\ & \text { B1 } \\ & {[2]} \\ & \hline \end{aligned}$ | $\begin{gathered} \hline 3.1 \mathrm{a} \\ 1.1 \end{gathered}$ |  |  |


| Question |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3 | (a) | $\begin{aligned} & \text { Using } \mathrm{B}(50,0.04) \\ & \mathrm{P}(X=2)=0.276 \end{aligned}$ | $\begin{aligned} & \hline \text { M1 } \\ & \text { A1 } \\ & {[2]} \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 3.3 \\ & 1.1 \end{aligned}$ | BC |  |
| 3 | (b) | $0.96^{9} \times 0.04=0.0277$ | $\begin{aligned} & \text { B1 } \\ & {[1]} \end{aligned}$ | 1.1 |  | Allow 0.028 |
| 3 | (c) | $0.96{ }^{20}=0.442$ | $\begin{aligned} & \text { B1 } \\ & {[1]} \end{aligned}$ | 1.1 |  |  |
| 3 | (d) | Expected value for one misunderstood $=\frac{1}{0.04}=25$ <br> Because geometric <br> For 3 misunderstood expected number $=25+25+25$ $=75$ | $\begin{aligned} & \text { B1 } \\ & \text { E1 } \\ & \text { E1 } \\ & {[3]} \end{aligned}$ | $2.1$ <br> 2.4 $1.1$ |  | Must quote probabilities to get full marks |
| 3 | (e) | Require $\mathrm{P}(2$ misunderstood in first 59) $\times 0.04$ so using $\mathrm{B}(59,0.04)$ gives $\mathrm{P}(X=2)=0.267$ $0.267 \times 0.04=0.0107$ | $\begin{aligned} & \text { B1 } \\ & \text { M1 } \\ & \text { A1 } \\ & {[3]} \end{aligned}$ | $\begin{gathered} \hline \text { 3.1a } \\ \text { 2.2a } \\ 1.1 \end{gathered}$ | For identifying required probability Use of correct binomial BC |  |



| Question |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 5 | (a) | $\begin{aligned} & \text { Two A and one } \mathrm{B} \sim \mathrm{~N}\left(2 \times 3.9+7.8,2 \times 0.32^{2}+0.41^{2}\right) \\ & \mathrm{N}(15.6,0.3729) \\ & \mathrm{P}(\geq 16)=0.256 \quad(0.25622 \ldots) \end{aligned}$ | $\begin{aligned} & \hline \text { B1 } \\ & \text { M1 } \\ & \text { A1 } \\ & {[3]} \\ & \hline \end{aligned}$ | $\begin{aligned} & 3.3 \\ & \\ & 1.1 \\ & 3.4 \end{aligned}$ | For N and mean <br> For variance BC | Allow if N stated anywhere in answer SOI |
| 5 | (b) | $\begin{aligned} & \text { Four } \mathrm{B}-\text { one } \mathrm{C} \sim \mathrm{~N}\left(4 \times 7.8-30.2,4 \times 0.41^{2}+0.64^{2}\right) \\ & \mathrm{N}(1,1.082) \\ & \mathrm{P}(\text { within } 1 \text { unit })=0.473 \quad(0.47274 \ldots) \end{aligned}$ | $\begin{gathered} \text { B1 } \\ \text { M1 } \\ \text { A1 } \\ {[3]} \\ \hline \end{gathered}$ | $\begin{aligned} & 3.3 \\ & 1.1 \\ & 3.4 \end{aligned}$ | For N and mean For variance BC | Allow -1 for mean Allow if N stated anywhere in answer SOI |
| 5 | (c) | DR $\mathrm{H}_{0}: \mu=30.2 \quad \mathrm{H}_{1}: \mu \neq 30.2$ <br> where $\mu$ is the population mean capacitance <br> Sample mean $=29.96$ $\begin{aligned} \text { Est. population variance } & =\frac{1}{9}\left(8981.0-\frac{299.6^{2}}{10}\right) \\ & =0.5538 \end{aligned}$ <br> Test statistic $=\frac{29.96-30.2}{\sqrt{\frac{0.5538}{10}}}$ $=-1.020$ <br> Refer to $t_{9}$ <br> Critical value (2-tailed) at $5 \%$ level is 2.262 <br> $-1.020>-2.262$ so not significant (do not reject $\mathrm{H}_{0}$ ) Insufficient evidence to suggest that the capacitance of the batch is different from 30.2 | B1 <br> B1 <br> B1 <br> M1 <br> A1 <br> M1 <br> A1 <br> M1 <br> A1 <br> M1 <br> E1 <br> [11] | $\begin{gathered} 3.3 \\ 1.2 \\ 1.1 \\ 1.1 \\ 1.1 \\ 3.3 \\ \\ \hline 1.1 \\ 3.4 \\ 1.1 \\ \hline 2.2 b \\ 3.5 a \end{gathered}$ | Hypotheses in words only must include "population" For definition in context <br> FT their mean and/or sd <br> BC <br> No FT if not $t_{9}$ <br> Or $1.020<2.262$ | Or sd $=0.7442$ <br> Or $\mathrm{P}(t<-1.020)=0.1672$ <br> Or $0.1672>0.025$ <br> Answer must be in context |


| Question |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 6 | (a) | $\begin{aligned} & \text { Mean }=1.725 \\ & \text { Variance }=1.768 \end{aligned}$ <br> The variance is reasonably close to the mean so this does support the suitability of a Poisson model | $\begin{aligned} & \text { B1 } \\ & \text { B1 } \\ & \text { E1 } \\ & {[3]} \\ & \hline \end{aligned}$ | $\begin{gathered} 1.1 \\ 1.1 \\ 2.2 \mathrm{~b} \end{gathered}$ | Condone 1.759 (using divisor $n$ ) | $\text { Or } \frac{345}{200}$ <br> Dep on mean and variance correct |
| 6 | (b) | $\begin{aligned} \text { Cell C3 } & =0.3106 \\ \text { Cell D3 } & =62.1124 \\ \text { Cell E3 } & =\frac{(65-62.1224)^{2}}{62.1224} \\ & =0.1342 \end{aligned}$ | B1 B1FT <br> M1FT <br> A1 <br> [4] | $\begin{gathered} \hline 3.4 \\ 2.2 \mathrm{a} \\ 1.1 \mathrm{a} \\ 1.1 \end{gathered}$ | $200 \times$ their C3 (62.12 if use 0.3106 ) | Do not allow 0.311 <br> Allow 62.2 from 0.311 <br> Must show working to get M1 <br> Allow 0.126 from 62.2 |
| 6 | (c) | Because otherwise some expected frequencies would be less than 5 so too small for the test to be valid | $\begin{aligned} & \text { E1 } \\ & {[1]} \\ & \hline \end{aligned}$ | 3.5b | For 'less than 5 so invalid' |  |
| 6 | (d) | $\mathrm{H}_{0}$ : Poisson model is a good fit <br> $\mathrm{H}_{1}$ : Poisson model is not a good fit $X^{2}=2.43$ <br> Refer to $\chi_{5}^{2}$ <br> Critical value at $5 \%$ level $=11.07$ <br> $2.43<11.07$ so result is not significant <br> There is insufficient evidence to suggest that the $\mathrm{Po}(1.7)$ model is not a good fit. | $\begin{gathered} \text { B1 } \\ \text { B1FT } \\ \text { B1 } \\ \text { B1 } \\ \text { M1 } \\ \text { A1 } \\ {[6]} \\ \hline \end{gathered}$ | 2.5 <br> 1.1 <br> 3.4 <br> 1.1 <br> 1.1 <br> 2.2b | FT Their value of E3 <br> For degrees of freedom $=5$ soi <br> For comparison with critical value <br> Conclusion in context | Allow M1 (not A1) for comparison with any chi squared critical value eg 1.145 or 5.991 |


| Question |  |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 7 | (a) |  | The pairing will eliminate any differences in grip strengths between different people and so will only compare the grip strengths of the dominant and nondominant hands | $\begin{aligned} & \mathrm{E} 1 \\ & \text { E1 } \\ & {[2]} \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 2.2 \mathrm{~b} \\ & 2.2 \mathrm{~b} \end{aligned}$ | Give 1 mark for any valid comment For 2 marks must include pairing |  |
| 7 | (b) |  | The parent population of differences must be Normally distributed | $\begin{aligned} & \text { E1 } \\ & \text { E1 } \\ & {[2]} \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline 1.1 \\ & 1.2 \end{aligned}$ | For Normally distributed For full answer including 'differences' |  |
| 7 | (c) |  | It does because the confidence interval contains 2 | $\begin{aligned} & \text { E1 } \\ & \text { [1] } \\ & \hline \end{aligned}$ | 3.5a |  |  |
| 7 | (d) | (i) | $\begin{aligned} & \text { Sample mean difference }=2.39 \\ & 0.45=1.96 \times \frac{\mathrm{SD}}{\sqrt{100}} \\ & \text { Sample } \mathrm{SD}=2.30 \quad(2.2959 \ldots) \end{aligned}$ | $\begin{aligned} & \text { B1 } \\ & \text { M1 } \\ & \text { A1 } \\ & {[3]} \\ & \hline \end{aligned}$ | $\begin{gathered} \hline 1.1 \\ 3.1 \mathrm{~b} \\ 1.1 \end{gathered}$ |  |  |
| 7 | (d) | (ii) | The sample must be random since only a random sample enables proper inference about the population to be undertaken | B1 <br> B1 [2] | $\begin{gathered} \hline \text { 3.2b } \\ 2.4 \end{gathered}$ | Do not allow eg a random sample is less likely to be biased |  |


| Question |  |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 8 | (a) | (i) | Predicted $=50.5$ | $\begin{gathered} \text { B1 } \\ {[1]} \end{gathered}$ | 1.1 |  | Do not allow answer to more than 2dp |
| 8 | (a) | (ii) | Although this point lies within the data (interpolation), the points do not lie too close to the line and the value of $r^{2}$ is not too close to 1 so the estimate is only moderately reliable | B1 <br> B1 <br> [2] | $\begin{aligned} & \hline 2.2 a \\ & 3.5 b \end{aligned}$ | Mention of 1 of the three points Mention of at least 2 points with correct conclusion |  |
| 8 | (a) | (iii) | Coordinates (47.3, 48.7) | $\begin{aligned} & \text { B1 } \\ & {[1]} \end{aligned}$ | 1.1 |  |  |
| 8 | (a) | (iv) | This is the point with coordinates which are the means of the $x$ - and $y$-values respectively | $\begin{aligned} & \hline \text { B1 } \\ & {[1]} \end{aligned}$ | 1.1 | Allow 'This is the centroid' |  |
| 8 | (b) | (i) | The scatter diagram is very roughly elliptical and so the distribution may be bivariate Normal | $\begin{aligned} & \mathrm{E} 1 \\ & \mathrm{E} 1 \\ & {[2]} \end{aligned}$ | $\begin{gathered} \hline 3.5 \mathrm{a} \\ 2.4 \end{gathered}$ |  |  |
| 8 | (b) | (ii) | $\begin{aligned} S_{v t} & =3886.53-\frac{1}{20} \times 80.37 \times 970.86 \quad(=-14.87 \ldots) \\ S_{t t} & =324.71-\frac{1}{20} \times 80.37^{2} \quad(=1.743 \ldots) \\ S_{v v} & =47829.24-\frac{1}{20} \times 970.86^{2} \quad(=700.78 \ldots) \\ r & =\frac{S_{t v}}{\sqrt{S_{t t} S_{v v}}}=\frac{-14.87}{\sqrt{1.743 \times 700.78}} \\ & =-0.4255 \end{aligned}$ | M1 <br> M1 <br> M1 <br> A1 <br> [4] | 1.1a <br> 1.1 <br> 3.3 <br> 1.1 | Numerical evaluations are not required at this stage <br> For either $S_{t t}$ or $S_{v v}$ <br> For general form including sq. root <br> BC |  |
| 8 | (b) | (iii) | $\mathrm{H}_{0}: \rho=0, \mathrm{H}_{1}: \rho<0$ <br> where $\rho$ is the population pmcc between $t$ and $v$ <br> For $n=20$, the $5 \%$ critical value is 0.3783 <br> Since $\|-0.4255\|>0.3783$ the result is significant, so there is sufficient evidence to reject $\mathrm{H}_{0}$ There is sufficient evidence at the $5 \%$ level to suggest that there is negative correlation between marathon time and $\mathrm{VO}_{2 \text { max }}$ | $\begin{gathered} \text { B1 } \\ \text { B1 } \\ \text { B1 } \\ \text { M1 } \\ \\ \text { A1FT } \\ \text { [5] } \end{gathered}$ | $\begin{aligned} & \hline 3.3 \\ & 2.5 \\ & 3.4 \\ & 1.1 \\ & \\ & \hline 2.2 b \end{aligned}$ | For both hypotheses <br> For defining $\rho$ <br> For correct critical value <br> For comparison and conclusion <br> Allow -0.4255 <-0.3783 <br> FT for conclusion in words | Do not allow $r$ in place of $\rho$ Hypotheses in words only get B1 unless population mentioned <br> Answer must be in context |


| Question |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 9 | (a) | $\begin{aligned} \mathrm{P}\left(X>\frac{1}{2} n\right) & =\frac{\frac{1}{2}(n+1)}{2 n+1} \\ & =\frac{n+1}{2(2 n+1)} \end{aligned}$ | M1 <br> M1 <br> A1 <br> [3] | $\begin{gathered} \text { 3.1a } \\ 1.1 \\ 1.1 \end{gathered}$ | For correct denominator For correct numerator |  |
| 9 | (b) | $\begin{aligned} & (2 n+1) \text { values so } \begin{aligned} \operatorname{Var}(X) & =\frac{1}{12}\left[(2 n+1)^{2}-1\right] \\ \text { Var of sum of } 10 \text { values } & =10 \times \frac{1}{12}\left[(2 n+1)^{2}-1\right] \\ & =\frac{10}{3} n^{2}+\frac{10}{3} n \end{aligned} \end{aligned}$ | $\begin{aligned} & \text { M1 } \\ & \text { M1 } \\ & \text { A1 } \\ & {[3]} \\ & \hline \end{aligned}$ | $\begin{gathered} 3.1 \mathrm{a} \\ 1.1 \\ 1.1 \end{gathered}$ |  | Allow M1 for $10 \times$ any attempt at variance |


| 10 | (a) | $\begin{aligned} & \mathrm{P}(T \leq 56)=\frac{104}{500}=0.208 \\ & \mathrm{P}(T>61)=1-\frac{253}{500}=0.494 \end{aligned}$ | B1 <br> B1 <br> [2] | $\begin{aligned} & 1.1 \\ & 1.1 \end{aligned}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 10 | (b) | $\begin{aligned} & \mathrm{E}(T)=25+28+5+3=61 \\ & \begin{aligned} \operatorname{Var}(T) & =\frac{1}{12} \times 10^{2}+\frac{1}{12} \times 6^{2}+4+16 \\ \quad & =\frac{94}{3} \quad(=31.333) \end{aligned} \\ & W \sim \mathrm{~N}(61,31.333) \text { so } \mathrm{P}(W \leq 56)=0.186 \\ & \mathrm{P}(W>61)=0.5 \end{aligned}$ | $\begin{aligned} & \text { B1 } \\ & \text { M1 } \\ & \text { A1 } \\ & \text { B1 } \\ & \text { B1 } \\ & {[5]} \end{aligned}$ | $\begin{gathered} \hline \text { 3.1a } \\ 1.1 \\ 1.1 \\ 3.3 \\ 1.1 \end{gathered}$ | BC |  |
| 10 | (c) | Because the mean is 61 and both the uniform and Normal distributions are symmetrical so you would expect the simulated probability to be very close to 0.5 | $\begin{aligned} & \mathrm{E} 1 \\ & \text { E1 } \\ & {[2]} \end{aligned}$ | $\begin{gathered} \hline 2.2 \mathrm{~b} \\ 2.4 \end{gathered}$ | For second mark must mention symmetrical |  |


| Question |  | Answer | Marks | AOs | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 11 | (a) | $\begin{aligned} & \mathrm{F}(3)=1 \Rightarrow \int_{0}^{2} a x^{2} \mathrm{~d} x+\int_{2}^{3} b(3-x)^{2} \mathrm{~d} x=1 \\ & \Rightarrow \frac{8}{3} a+\frac{1}{3} b=1 \\ & \mathrm{E}(X)=2 \Rightarrow \int_{0}^{2} a x^{3} \mathrm{~d} x+\int_{2}^{3} b x(3-x)^{2} \mathrm{~d} x=2 \\ & \Rightarrow 4 a+\frac{3}{4} b=2 \\ & a=\frac{1}{8}, b=2 \end{aligned}$ | M1 <br> A1 <br> M1 <br> A1 <br> A1 <br> [5] | 3.1a <br> 1.1 <br> 3.1a <br> 1.1 <br> 1.1 |  |  |
| 11 | (b) | $\begin{aligned} & \mathrm{F}(2)=\int_{0}^{2} \frac{1}{8} x^{2} \mathrm{~d} x=\frac{1}{3} \\ & \Rightarrow \int_{2}^{m} 2(3-x)^{2} \mathrm{~d} x=\frac{1}{6} \\ & \Rightarrow-\frac{2}{3}(3-m)^{3}+\frac{2}{3}=\frac{1}{6} \\ & \Rightarrow(3-m)^{3}=\frac{3}{4} \Rightarrow m=2.09 \quad(2.0914 \ldots) \end{aligned}$ | B1 <br> M1 <br> A1 <br> [3] | $\begin{gathered} 3.1 \mathrm{a} \\ 2.2 \mathrm{a} \\ \\ 1.1 \end{gathered}$ | Or $m=3-\sqrt[3]{\frac{3}{4}}$ |  |
| 11 | (c) | $\begin{aligned} & \text { Using } \mathrm{N}\left(2, \frac{0.2}{50}\right) \\ & \mathrm{N}(2,0.004) \\ & \text { Estimate } \mathrm{P}(\text { Mean }<1.9)=0.0569 \end{aligned}$ | $\begin{aligned} & \text { M1 } \\ & \text { M1 } \\ & \text { A1 } \\ & {[3]} \\ & \hline \end{aligned}$ | $\begin{gathered} \text { 3.1a } \\ \text { 1.1a } \\ 1.1 \end{gathered}$ | For use of Normal distribution For correct values |  |

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